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Strain control of superlattice implies weak charge-lattice coupling in La_{0.5}Ca_{0.5}MnO₃

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We have recently argued that manganites do not possess stripes of charge order, implying that the electron-lattice coupling is weak [Phys Rev Lett **94** (2005) 097202]. Here we independently argue the same conclusion based on transmission electron microscopy measurements of a nanopatterned epitaxial film of $La_{0.5}Ca_{0.5}MnO_3$. In strain relaxed regions, the superlattice period is modified by 2-3% with respect to the parent lattice, suggesting that the two are not strongly tied.

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The superlattice present in many manganites has traditionally been described in terms of a charge ordered array of the idealised cations Mn^{3+} and Mn^{4+} [1, 2, 3, 4]. This superlattice is observed in x-ray, neutron and electron diffraction patterns as extra reflections that typically lie along or near \mathbf{a}^* , indexing the room temperature cell as orthorhombic *Pnma*. Recent work controversially suggests that Mn valence charges are not strongly localised, and that any charge modulation is very small [5, 6, 7, 8, 9, 10].

We recently argued that polycrystalline in $La_{1-x}Ca_{x}MnO_{3}$ (x > 0.5) at 90 K, the chargelattice coupling is weak because the superlattice is not locked to the parent lattice [8]. Instead, the periodicity of the superlattice was found to be uniform over a wide range of length scales in any particular grain. Our main evidence was that the superlattice wavenumber q was invariant with respect to a^* when a grain was repeatedly sampled with a local probe (convergent beam electron diffraction, spot size 3.6 nm). This interpretation relied upon selecting x=0.52 such that $q/a^* \approx 1 - x$ [11] was near but not equal to 0.5. In bulk unstrained La_{0.5}Ca_{0.5}MnO₃, $q/a^* = 0.5$ below the Néel transition temperature $T_N \sim 135$ K (on cooling) [3]. The superstructure persists up to the Curie temperature of $T_C \sim 220$ K, and for $T_N < T < T_C$, q/a^* is hysteretic and incommensurate [3].

It has previously been suggested that the superlattice of a manganite should be modified by strain [4]. Intergranular variations in q/a^* of up to 8% have been observed in polycrystalline La_{0.5}Ca_{0.5}MnO₃ [12], but the possibility of extrinsic effects precludes a direct link with strain. Here we investigate tuning the strain state in a continuous crystal lattice, where extrinsic effects should be minimised. Although chemical phase separation prevents the growth of bulk single crystal $\text{La}_{1-x}\text{Ca}_x\text{MnO}_3$ ($x \geq 0.41$) [13], we have formed an untwinned continuous crystal lattice by growing a coherently strained epitaxial film of $\text{La}_{0.5}\text{Ca}_{0.5}\text{MnO}_3$ on an orthorhombic NdGaO₃ (001) substrate (NGO). Superlattice reflections are expected to be strongest at this composition, since optical spectroscopy measurements show a "pseudogap" in $\text{La}_{1-x}\text{Ca}_x\text{MnO}_3$ that is largest at x = 0.5 [14]. We have attempted to release the epitaxial strain in some areas of the film by firstly removing substrate material to create an electron transparent window ~150 nm thick, and then removing material around rectangular micronscale regions ("rectangles") within the window. Transmission electron microscopy (TEM) revealed that q/a^* is reduced by 2-3% inside the rectangle.

Films were grown at $\sim 800^{\circ}$ C in a flowing oxygen ambient of 15 Pa by pulsed laser deposition from a polycrystalline La_{0.5}Ca_{0.5}MnO₃ target (Praxair, USA) using a 248 nm ultraviolet KrF laser with an average fluence of 1.5 J.cm^{-2} , a repetition rate of 1 Hz and a targetsubstrate distance of 8 cm. Films were subsequently annealed for one hour in 60 kPa O_2 at ~800°C. The *a* lattice parameter of NGO at the 90 K nominal base temperature of our microscope stage is 0.48% smaller than the *a* lattice parameter of $La_{0.5}Ca_{0.5}MnO_3$, and the mismatch in b is 0.35% in the opposite sense [15]. The film was 44 ± 2 nm thick as measured by high resolution X-ray diffraction (HRXRD). This thickness is sufficiently low to preserve cube-on-cube epitaxy. An X-ray rocking curve with a FWHM of 0.10° for the (004) film reflection was recorded, and a typical value for surface roughness as measured by atomic force microscopy was ~ 0.5 nm. A ferromagnetic signal detected below room temperature reached an apparent saturation magnetization of 0.6 μ_B /Mn at 90 K, with no evidence for the antiferromagnetic transition that

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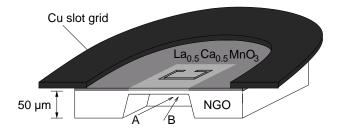


FIG. 1: Sample preparation of a "rectangle" in an FIB microscope. A beam of Ga ions in direction "A" was used to mill away 22 μ m × 8 μ m of substrate from underneath the film. A beam of Ga ions in direction "B" was then used to mill cuts, delineated with thin black lines in the light grey region. This light grey region represents the ~150 nm thick electron transparent window. The dark grey region represents film underneath which 50 μ m of substrate remains. The sample was attached with silver glue to half of a TEM Cu grid support with an outer diameter of 3 mm.

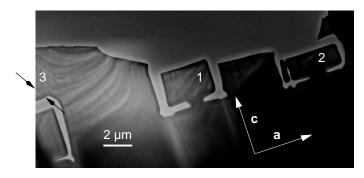


FIG. 2: TEM image of Rectangle 1 and Rectangle 2. The material directly above the rectangles has broken away. A crack runs between and parallel to the arrows in region 3.

is observed in the bulk above 100 K [16]. Similarly, no transitions were seen in the electrical resistivity, which was 0.02 Ω .cm at 300 K and remained insulating down to 80 K, beyond which we could no longer measure it.

The sample was prepared for TEM by conventional grinding to 50 μ m, and processing using the focussed ion beam (FIB) microscope (Fig. 1). The electron transparent window was defined by cutting substrate material from under the film. When the window was $\sim 1 \,\mu m$ thick, the sample was tilted 45° and cuts were made from the substrate side to minimise film damage. These cuts defined a free standing rectangular region (a "rectangle"). The sample was then rotated back to its original position with sufficient precision to avoid an undercut during subsequent thinning of the window to electron transparency. Material furthest from the front edge of the window in Fig. 1 was therefore thickest. A low magnification TEM picture of two rectangles is shown in Fig. 2. The minimum thickness of the window that could be achieved reliably was ~ 150 nm. Thus ~ 100 nm of substrate remained attached to the 44 nm film.

The sample was cooled to approximately 90 K for up

to four hours at a time using a Gatan double-tilt liquid nitrogen stage. Parent lattice reflections were recorded in diffraction patterns with a CCD camera on a Philips CM300 TEM operated at 300 kV. However, superlattice reflections were too weak to measure on the CCD without significant over-saturation of the parent reflections. Therefore measurements of q/a^* were extracted from diffraction patterns recorded on photographic film, which has a sensitive nonlinear response. For this a Philips CM30 TEM operated at 300 kV was used with a 500 nm aperture.

At 90 K all regions of the electron transparent window (both inside and outside the rectangles) produced diffraction patterns showing the superlattice. As expected, the superlattice modulations were always parallel or nearparallel to the \mathbf{a}^* direction. Custom written software was used in order to measure statistically significant values of q/a^* for each diffraction pattern. Initially the parent lattice reflections were identified and the distortion of the photographic film was calculated, then the positions of the superlattice reflections were found. Thus values of q/a^* were established for each diffraction pattern.

Specifically, the positions of the parent lattice reflections were estimated and then refined using the meanshift algorithm. The film distortion was calculated using the projective warp which models the distortion as shear, aspect ratio change and keystoning.

Pairs of superlattice reflections that appeared between adjacent pairs of parent lattice reflections along the \mathbf{a}^* axis were modelled using the weighted sum of two Gaussians and a constant value. The parameters were fitted to this Gaussian Mixture Model (GMM) using the Expectation Maximisation algorithm [17, 18]. Information was ignored from areas near the edge of the photographic film that were warped such that the mismatch between the expected lattice and the observed lattice was greater than two pixels. The curvature of the Ewald sphere leads to a systematic error $\sim (g/k)^2$, where g is the measured value of the wavevector and k is the wavevector measured across the Ewald sphere, but this is small and will affect equally both the parent and superlattice reflections, such that it may be ignored here.

Fig. 3 shows a map of q/a^* in and around Rectangle 1. The magnitude of q/a^* was highest at C, 0.8% lower at B, and 1.4% lower again inside the rectangle at A (0.4760±0.0009, 0.4710±0.0005 and 0.4646±0.0006, respectively). Similarly, for Rectangle 2, q/a^* at points analogous to B and A differ in the same sense by 1.3% (0.4753±0.0005 and 0.4692±0.0007 respectively). In any given diffraction pattern, each individual measurement of q/a^* was recorded to within 0.004, given a resolution of 0.3 out of 35 pixels. For each diffraction pattern, between 150 and 300 measurements of q/a^* were made, reducing this error to the values quoted.

At any point in the window, the measured wavenumber varied between cooling runs. The range of q/a^* inside

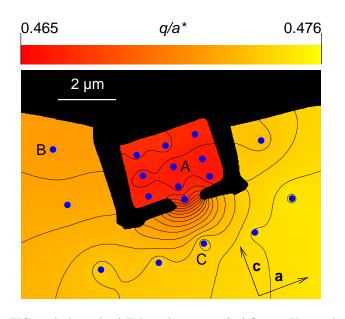


FIG. 3: (color online) False colour map of q/a^* at 90 K in and around Rectangle 1 with contours of constant q/a^* plotted every $\Delta(q/a^*) = 5.8 \times 10^{-4}$. Diffraction patterns were taken at the 18 points indicated, and q/a^* values were extracted from each using the software described in the text. Data for q/a^* was generated away from the 18 points by interpolation and extrapolation. The diagram combines data from four cooling runs to 90 K. One run included data from A, B and C and other runs included data from at least one of these points. Data from the other runs was subject to the run to run variations described in the text. It was therefore offset to build the above picture. Thermal drift is estimated to be 0.2 nm.

Rectangle 1 at point A was 2.6% (0.457 – 0.469). Outside Rectangle 1 at point C, the range was 1.9% (0.467 – 0.476). However, in any given run, the wavenumber outside the rectangle was always larger than the wavenumber inside the rectangle, with the run to run difference from A to C being between 2.2% - 3.2%.

Since q/a^* rather than q is measured, we investigated whether the observed variations of a few % could be due to variations in a^* alone. The parent lattice reflections were recorded in different areas of the sample above and below the ordering transition temperature of ~220 K as estimated from polycrystalline samples [3]. Variations in a^*/c^* were $\leq 1\%$, which assuming c to be constant implies that variations in $a^* \leq 1\%$. This places an upper bound of 0.1% on changes in q/a^* due to unresolved changes in a^* . (Note that this error calculation is nontrivial because the measured q is always determined relative to the measured a^* .) Therefore the spatial variations seen in q/a^* represent changes in q, whether or not they are driven by changes in a^* that are beyond the 1% resolution of the microscope.

The asymmetry in q/a^* with respect to the artificial cuts rules out the possibility that contamination and/or damage from the Ga beam of the FIB microscope pro-

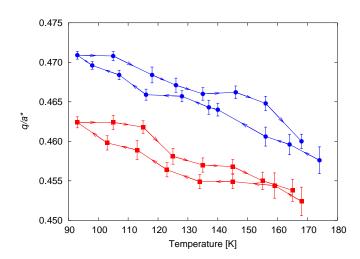


FIG. 4: (color online) Variation of q/a^* with temperature, inside (**•**) and outside (**•**) Rectangle 1. The readings were taken at A and B using a 2 μ m aperture. There is a 1 μ m spatial uncertainty due to thermal drift of the sample during data acquisition. The error bars are at one standard deviation of the mean. Note that recent measurements using a Gatan helium stage suggest that the two 90 K values remain constant within error down to ~15 K.

duce the observed changes in our measurements taken at points over 500nm from the artificial edges. Moreover, when moving from 4 μ m to within 1 μ m of a natural crack (Fig. 2), q/a^* was reduced by 1.3% (0.476 to 0.470). This mimics the change in q/a^* that we engineered in the rectangle.

The observed differences between q/a^* inside and outside the rectangle could be due to the electron beam heating the rectangle, which is thermally isolated by its small neck. However, one would then expect q/a^* to vary in a systematic way with remoteness from the neck. This is not the case so thermal effects cannot explain the results of this experiment.

The observed reduction of q/a^* inside the rectangle could also arise if discommensurations, which separate regions of different q/a^* , were pinned strongly inside the rectangle, due to defects at the nearby edges, and could not propagate through the neck. Temperature sweeps taken inside and outside the rectangle both show a similar hysteresis of ~20 K (Fig. 4). This suggests that the degree of pinning is similar inside and outside the rectangle, and that pinning does not cause the observed differences in q/a^* .

We suggest that small changes in strain, below our 1% resolution in a^* , are responsible for the observed variations in q/a^* . Indeed, changes this small can be significant. For example, a 0.5% change of strain [19] along the normal to the surface of a La_{0.7}Sr_{0.3}MnO₃ [20] film produces a 20 K change in the Curie temperature.

Our observation that q/a^* is smallest inside the rectangle may be understood using a 1D Ginzburg-Landau

theory [21]. In the modulated manganite we studied, the nature of the order parameter $\psi(\mathbf{r})$ is not established [8]. Here we express it in terms of the corresponding order parameter $\psi_0(\mathbf{r})$ in the absence of modulations as $\psi(\mathbf{r}) = \psi_0(\mathbf{r})e^{i(\mathbf{Q}_c \cdot \mathbf{r} + \phi(\mathbf{r}))}$ where \mathbf{r} is the spatial coordinate, \mathbf{Q}_c is a vector commensurate with the lattice and ϕ incorporates incommensurability [22]. The wavevector is given by $\mathbf{q} = \mathbf{Q}_c + \langle \nabla \phi \rangle$, where $\langle \nabla \phi \rangle$ is the deviation of the wavevector from the commensurate value. Therefore in our material $q = 0.5a^* + \langle \nabla \phi \rangle$. Assuming that $\psi_0(\mathbf{r})$ is constant, we can write the free energy density for the modulation and its coupling with strain η as [21]

$$\mathcal{F} = \frac{\xi^2}{2} \left(\nabla\phi - \delta\right)^2 + \frac{v}{n} \cos(n\phi) + c\eta\nabla\phi + \frac{1}{2}\kappa\eta^2 - \sigma\eta.$$
(1)

The first term is the elastic term that favours incommensurate modulation, and we arbitrarily set $\xi=1$. The parameter δ is the deviation of q/a^* from 0.5 in the absence of strain coupling. We always see $q/a^* < 0.5$ in our film, which we suggest is due to the presence of a background strain that arises from our inability to completely remove strain everywhere, in effect rendering $\delta < 0$. The second term is the Umklapp term that favours commensurability, where n is an integer and the coefficient v determines the strength of the effect. The third term couples η and $\nabla \phi$ with strength c. The fourth term is the strain energy density in terms of the bulk elastic modulus κ . The fifth term gives the elastic energy due to the stress σ on the film from the substrate. The effect of the coupling term $c\eta \nabla \phi$ on the wavevector can be determined in the plane-wave limit ($\nabla \phi$ =constant and $\nabla \eta = 0$) by minimising (1), which leads to

$$\nabla \phi = \frac{\delta - c\sigma/\kappa}{1 - c^2/\kappa}.$$
(2)

Two limiting cases represent the situation inside and outside the rectangle respectively: either the film relaxes in the absence of substrate-induced stress and q is reduced by $|\nabla \phi_{in}| = \frac{|\delta|}{1-c^2/\kappa}$ to give $q = 0.5a^* - \frac{|\delta|}{1-c^2/\kappa}$, or the film is clamped such that the coupling $c\eta \nabla \phi$ is inactive, and thus $|\nabla \phi_{out}| = |\delta|$ and $q = 0.5a^* - |\delta|$. Since $|\nabla \phi_{in}| > |\nabla \phi_{out}|$ we can understand why the deviation from the commensurate value of $q/a^* = 0.5$ will be larger inside a rectangle whatever the sign of c. Note that this result is the opposite of what might be expected given that the rectangle resembles an unstrained single crystal.

We now consider whether the changes in q/a^* , that we ascribe to strain, support our recent finding that the charge-lattice coupling is weak [8]. In the traditional strong-coupling limit, any elastic deformation of the parent lattice should be directly transmitted to the superlattice such that $\Delta(q/a^*)=0$. Our finding that $\Delta(q/a^*)=2$ -3% suggests that the superlattice can deform independently of the parent lattice. Therefore the coupling cannot be considered arbitrarily strong. Moreover, in the traditional strong-coupling picture, the changes in $\Delta(q/a^*)$ that we observe would arise due to changes in the number of [100] Mn⁴⁺ sheets, and these are not available at a given x. In theory, our finding that $\Delta(q/a^*) \neq 0$ could be explained if strain is enhanced at uncharged discommensurations [21], but discommensurations are not consistent with a strong coupling picture at x=0.5.

In summary, we have shown that it is possible to tune the magnitude of q/a^* by up to 3% in La_{0.5}Ca_{0.5}MnO₃ at 90 K by processing a thin film using an FIB microscope. This demonstrates that tuning the microstructure of La_{0.5}Ca_{0.5}MnO₃ can alter the low temperature superlattice. Consequently the variations in wavenumber seen in polycrystalline La_{1-x}Ca_xMnO₃ [8, 12] may be directly attributed to strain. Our finding that $\Delta(q/a^*) \neq 0$ may be most simply explained if the charge and lattice are weakly coupled. The interpretation presented here supports our earlier suggestion [8] that a charge density wave scenario may be appropriate.

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